

*Constraints on neutrino
self-interactions
by Multi-Messengers*

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NEUTRINO SELF INTERACTIONS - MOTIVATION

Theoretical motivation

- ★ Neutrino mass generation
- ★ Production of dark matter in the early Universe
- ★ CMB and LSS leave a room to the impact of NSI
 - BSM NSI can lead to significantly larger scattering rates amongst neutrinos and different time/temperature dependence
 - The presence of NSI at early times delay the epoch at which neutrinos begin to free-stream. Compared to the standard CDM model, neutrino self-interactions thus shift the CMB power spectra peaks towards smaller scales.
- ★ Light element abundances
 - Abundance of early elements indicates that neutrinos significantly influenced the era of BBN
- ★ Disagreement between late- and early-time measurements of today's Hubble rate H_0 and the matter power spectrum σ_8

CMB - Cosmic microwave background

LSS - large-scale structures

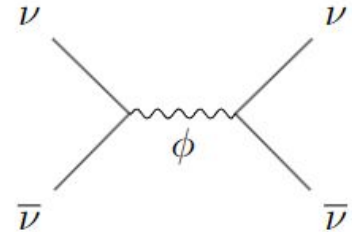
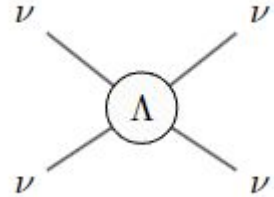
BBN - Big Bang nucleosynthesis

NEUTRINO SELF INTERACTIONS

$$\mathcal{L} = g_{ij} \bar{\nu}_i \gamma_\mu \nu_j \phi^\mu, \quad (i, j = e, \mu, \tau)$$

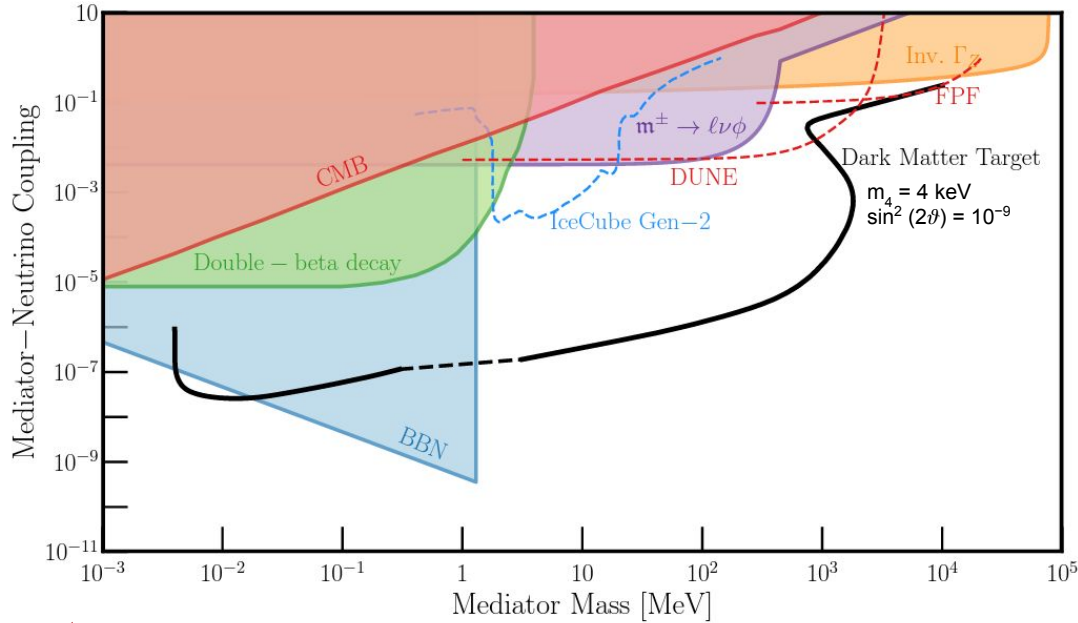
*In the scenario of minimal coupling, neutrinos may couple to a massive scalar, pseudoscalar, **vector**, or axial-vector field*

*Framework: Dirac neutrinos interacting with a massive spin-one boson Φ^μ through a vector coupling.
Vector boson coupling to other particles is effectively negligible.
The mediator mass M and coupling strength g , are free parameters.*



HOW NSI CAN BE MEASURED?

Measurements



Neutrino Self-Interactions: A White Paper - J. M. Berryman et al, 2022

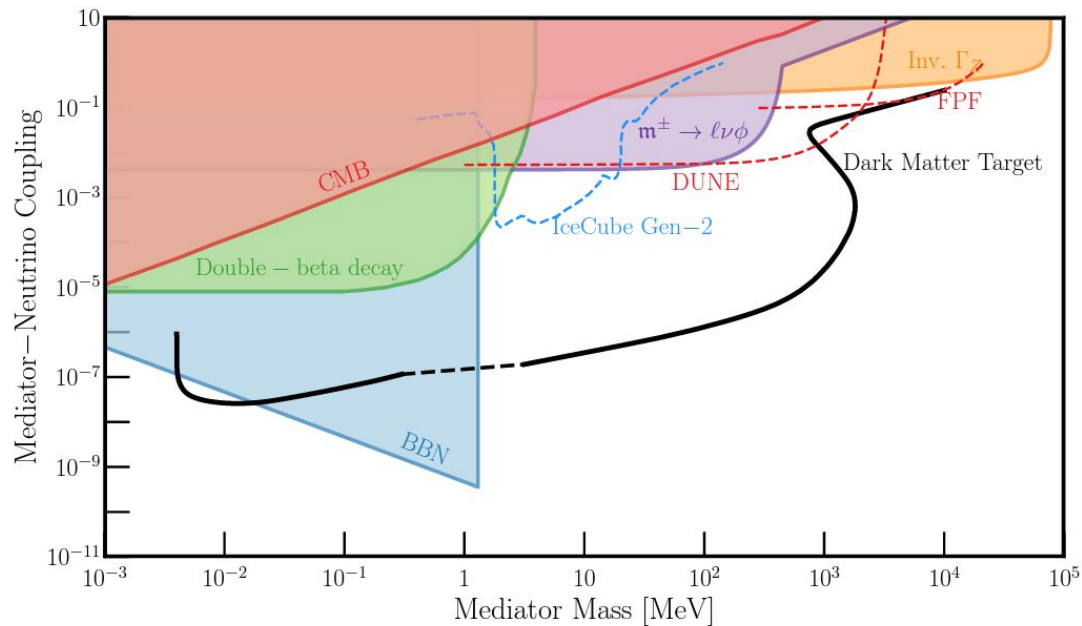
★ Cosmological constraints (eV-MeV)

- Light elements abundance
- Big Bang Nucleosynthesis (BBN)
- Cosmic Microwave Background (CMB)
- Matter distribution in the Universe

★ Laboratory bounds come from searches for

- neutrinoless double beta decay
- rare meson, T decays
- invisible Z decays
 - $e+e- \rightarrow \gamma V^- V^-$
 - $Z \rightarrow \nu\nu V^- V^-$
- invisible Higgs decay

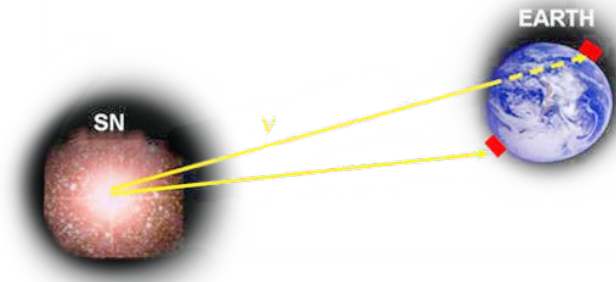
Measurements



Astrophysics

- *Supernovae signal: duration, composition, spectrum*
- *Blazars, AGN*

HIGH ENERGY EXTRATERRESTRIAL NEUTRINOS SCATTERING ON COSMIC NEUTRINO BACKGROUND (CNB)



❖ Interactions of the astrophysical neutrinos with the cosmic neutrino background

HEν must travel tremendous distances from the source to the detector on Earth. And if we assume NSI, instead of free-streaming, these HEν may scatter on the abundant CNB, which consists of relic neutrinos with very low effective temperature. Thus such a scattering will ensure a visible energy loss, and will remove the HE neutrino from the initial flux. This is the way how the observation of astrophysical neutrinos can be used to constrain NSI.

❖ Average CNB density

$$n_{\nu} = 112 \text{ cm}^{-3} \text{ per flavour}$$

$$n_{\nu} \sim 340 \text{ cm}^{-3} \text{ total}$$

$$T_{\text{CNB}}^{\text{eff}} = 1.7 \cdot 10^{-4} \text{ eV}$$

❖ Incoming neutrino energy of electron antineutrino flux

Blazar: $E_B \in (T \text{ eV} - P \text{ eV})$

$$D = 1, 3 \text{ Gpc}$$

Supernova: $E_S \sim 10 \text{ MeV}$.

$$D = 55+15 \text{ kpc}$$

SOURCES

Supernova 1987

$$E_S \sim 10 \text{ MeV.}$$

$$D = 55+15 \text{ kpc}$$

NGC 1068:

$$E \in (1-10) \text{ TeV}$$

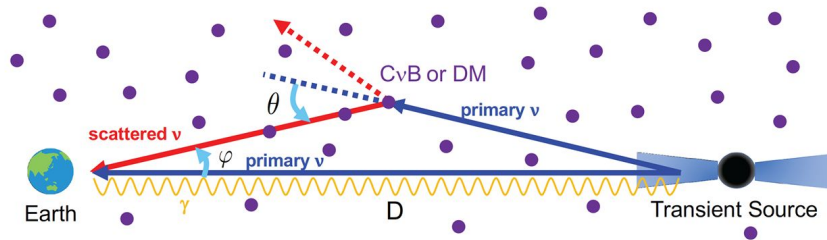
$$D = 13 \text{ Mpc}$$

TXS 0506+056.

$$E \sim 290 \text{ TeV}$$

$$D > 1,3 \text{ Gpc}$$

Detected by IceCube and Baikal-GVD



PKS 0735+178

Neutrino events were recorded by IceCube, Baikal-GVD, BUST, and KM3NeT.

$$E = 171 \text{ TeV}$$

MEAN FREE PATH

$$v_{Moller} = \frac{|\mathbf{v}_X - \mathbf{v}_\nu|}{|\mathbf{v}_X|}$$



In order to establish limits on the VSI coupling constant, it's enough to observe a single neutrino from the flux.

Our next step is to calculate the mean free path, which is the inverse of the interaction rate:

$$\lambda^{-1} = \int \frac{d\mathbf{p}_X}{(2\pi)^3} f(\mathbf{p}_X) v_{Moller} \sigma(s)$$

- inverse interaction rate

The detection of neutrinos from a HEV source requires that the mean free path of neutrinos through the CMB is comparable to or greater than the distance to the source. So we set this condition to the mean free path to experience at least one interaction

This results in limits to the coupling of neutrinos with themselves and with other particles.

$$D\lambda^{-1} \leq 1$$

where D is the distance to the source.

$$g \leq \left(\frac{\lambda|_{g \rightarrow 1}}{D} \right)^{1/4}$$

TWO BACKGROUND REGIMES

Non-relativistic:

$$\lambda_{NR}^{-1} = n_X \sigma(s) \quad n_X = \frac{1}{4\pi^2} \int_0^\infty dE_X E_X^2 f(E_X)$$

$$\frac{|p_X|}{E_X} \rightarrow 0, \quad s \rightarrow m_X^2 + 2Em_X$$

Ultra relativistic: ★

$$\lambda_{UR}^{-1} = \frac{\sqrt{2}}{4\pi^2} \int_0^\infty dE_X E_X^2 f(E_X) \int dz \sqrt{1-z} \sigma(z, E_X)$$

$$\frac{|p_X|}{E_X} \rightarrow 1, \quad s \rightarrow 2EE_X(1-z),$$

MASS REGIMES

Heavy massive mediator limit

$$\sigma(s) = g^4 \frac{as}{M^4}$$

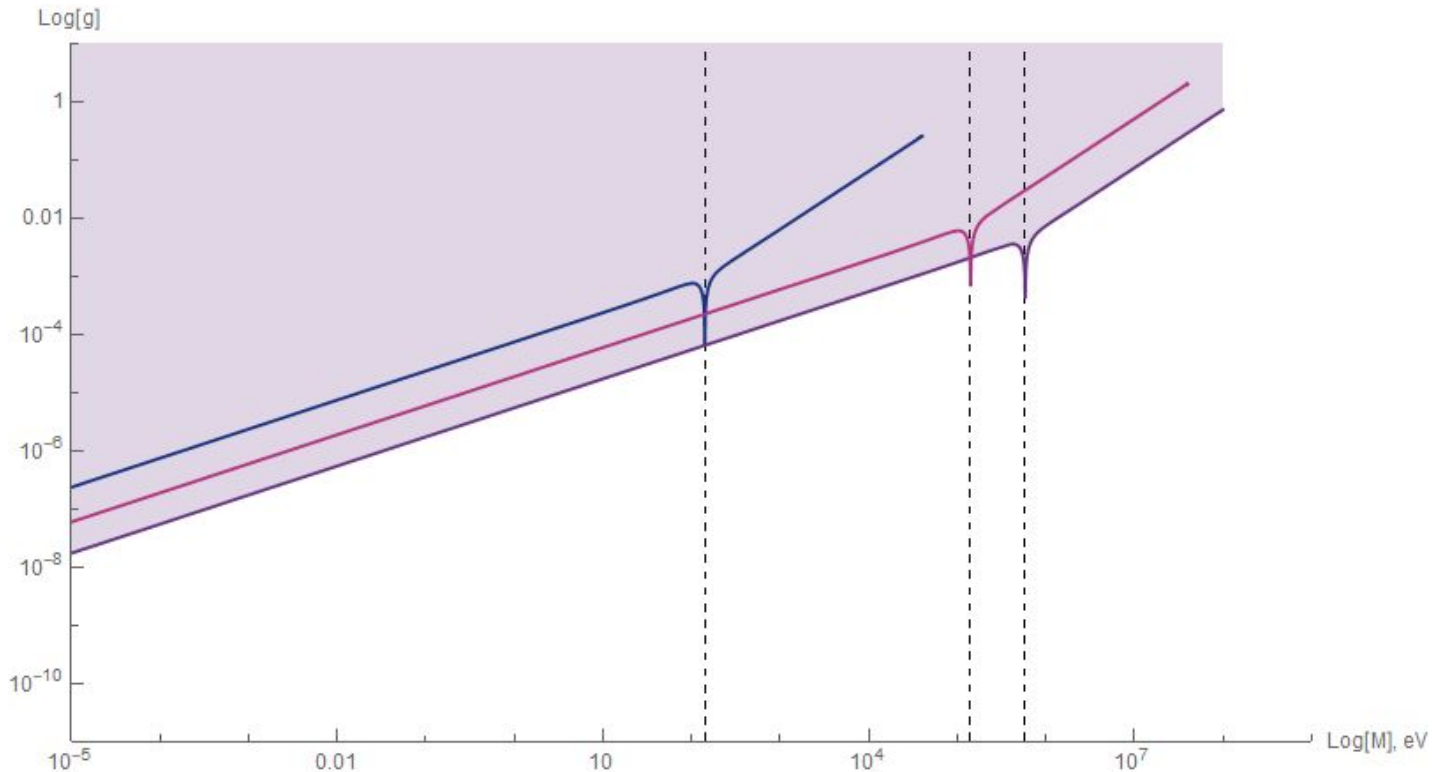
Full mass dependence ★

Massless mediator limit

$$\sigma(s) = g^4 \frac{a}{s}$$

NON-RELATIVISTIC CONSTRAINTS ON COUPLING CONSTANT FROM SN & B & AGN

$$g \leq \left(\frac{\lambda_{|g \rightarrow 1}}{D} \right)^{1/4}$$



- SN1987
- NGS 1086
- TXS 0506+056,
PKS 0735+178

No angle cut-off for scattering to 0 and π

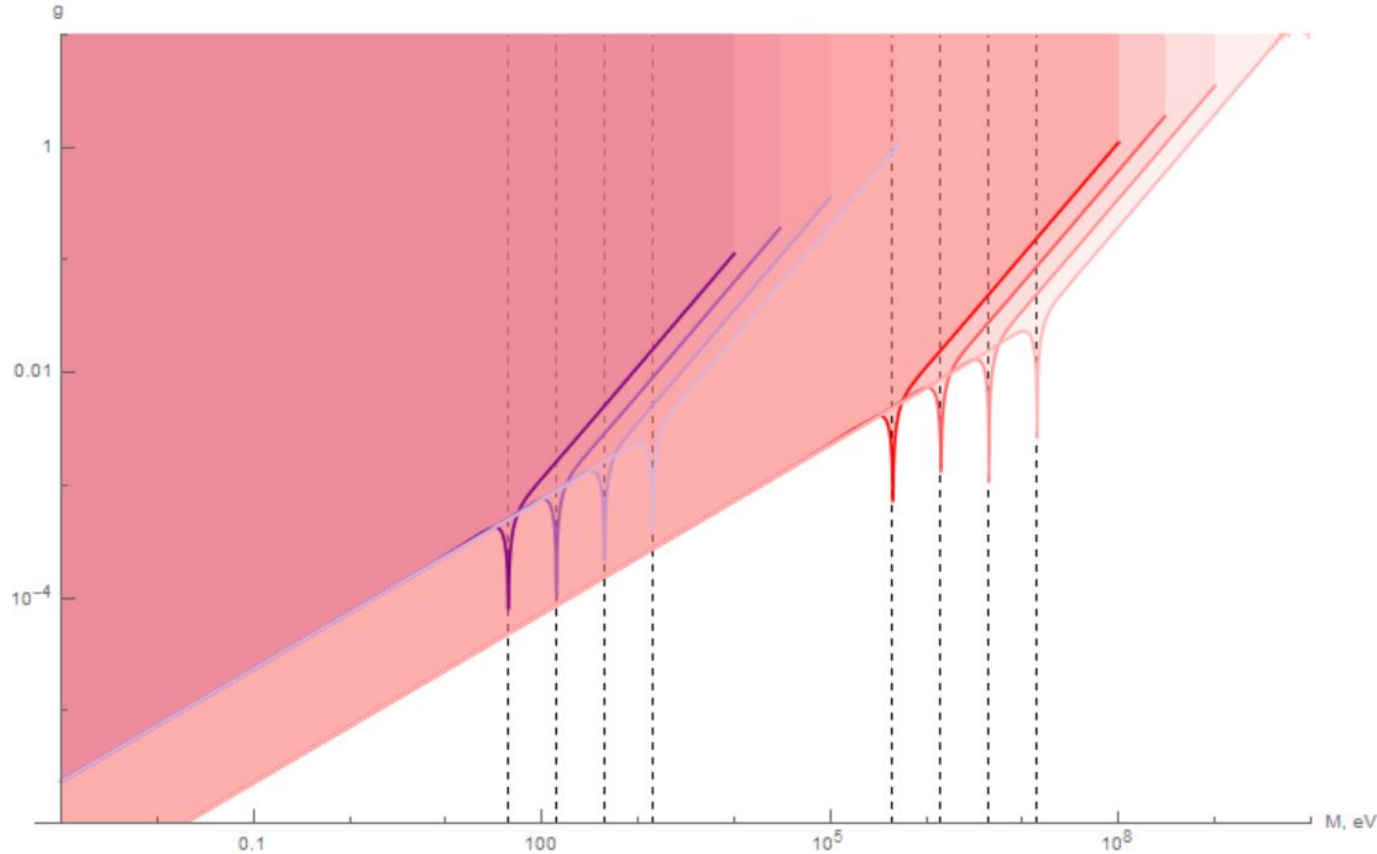
$$m \rightarrow 10^{-3}$$

$$--- M = \sqrt{s} = \sqrt{2E_\nu m_\nu + m_\nu^2}$$

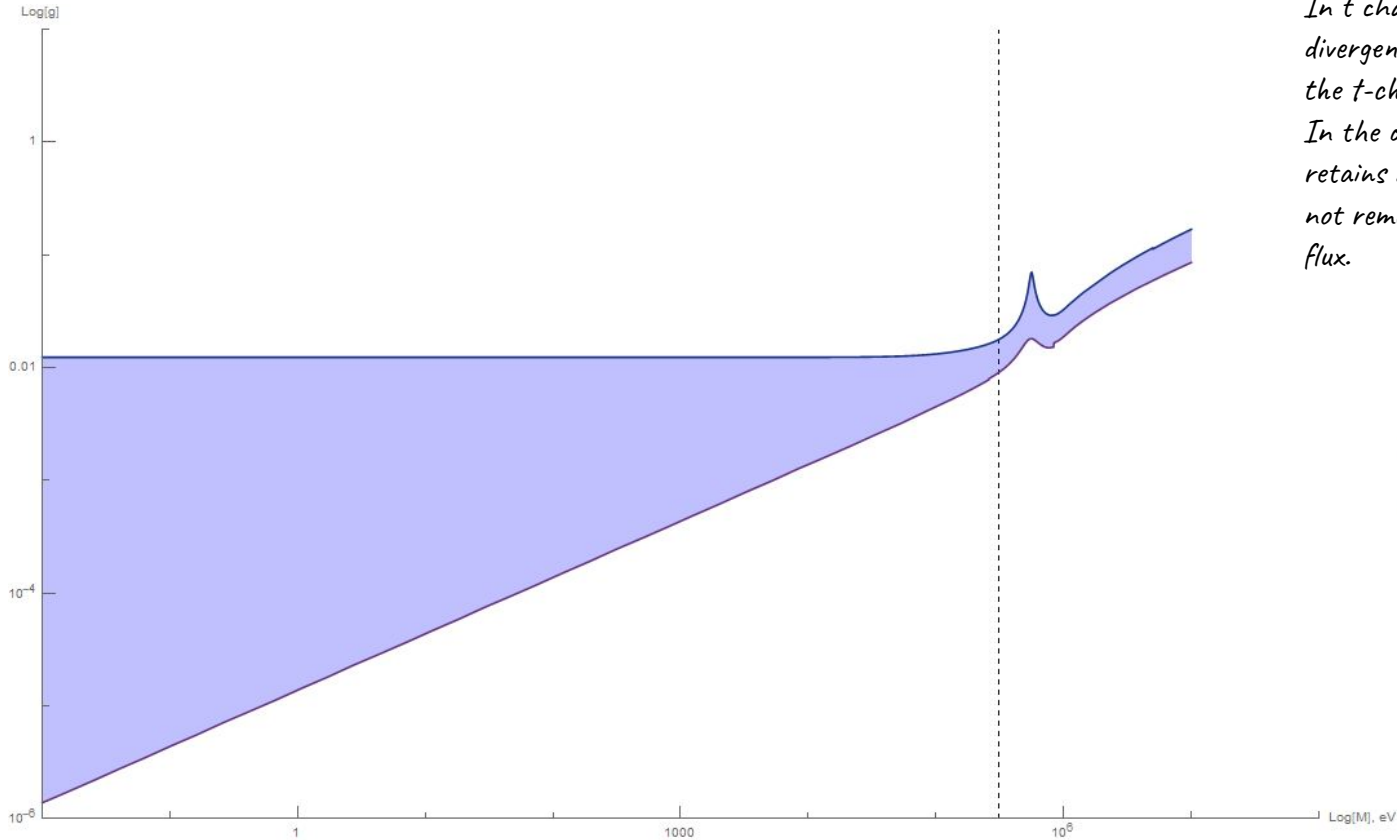
NON-RELATIVISTIC CONSTRAINTS ON COUPLING CONSTANT FROM SN & B: NEUTRINO MASS DEPENDENCE

$$g = \left(\frac{\lambda_{MFP}}{\lambda_{SN}} \right)^{1/4}$$

No angle cut-off for scattering to 0 and π

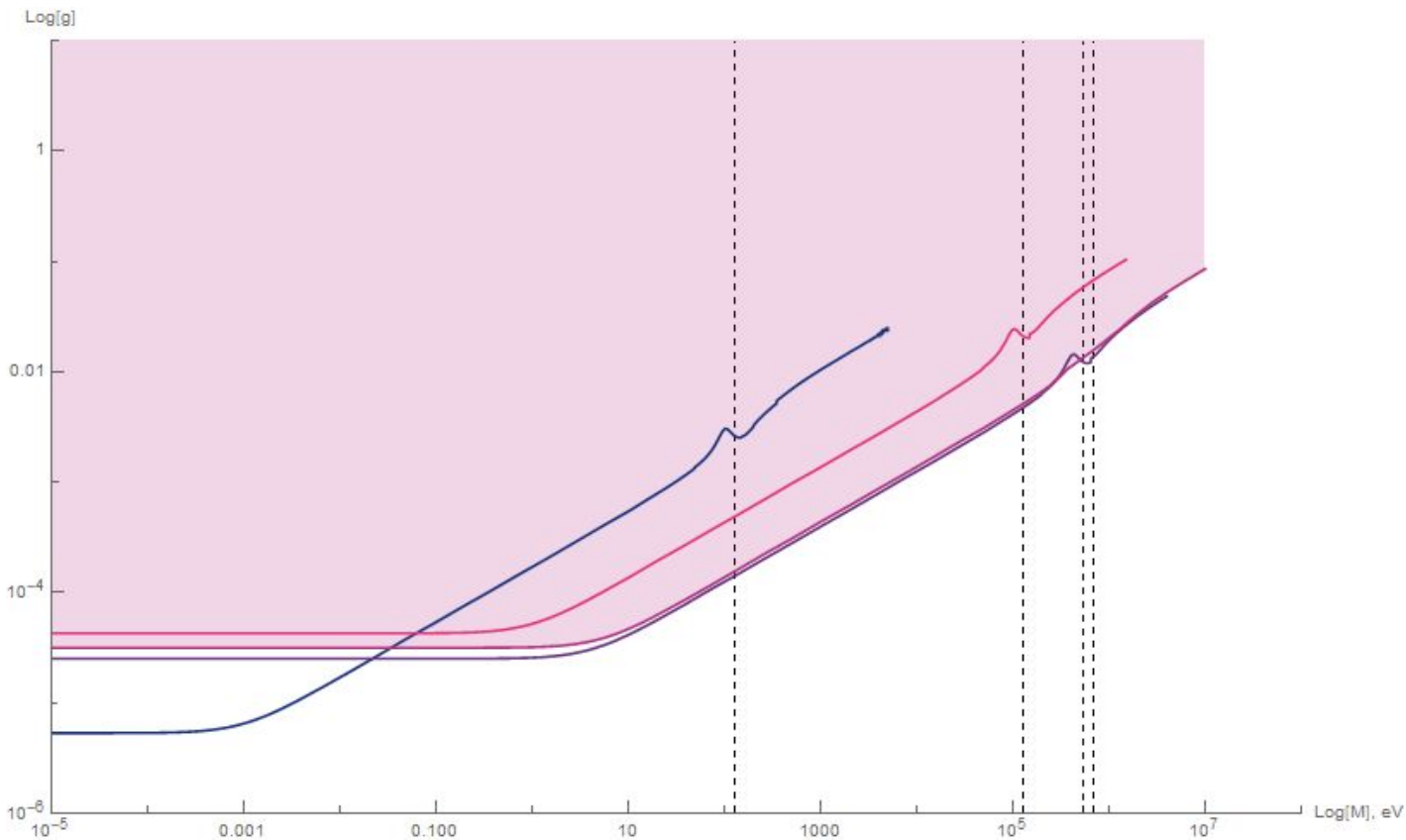


t-channel cut parameter region, Blazar



In t channel, there is a logarithmic divergence at $t = -s$. This corresponds to the t-channel exchange of a massless ν . In the opposite limit, $t \sim 0$, the neutrino retains all of its incident energy, and is not removed from the "detectable" flux.

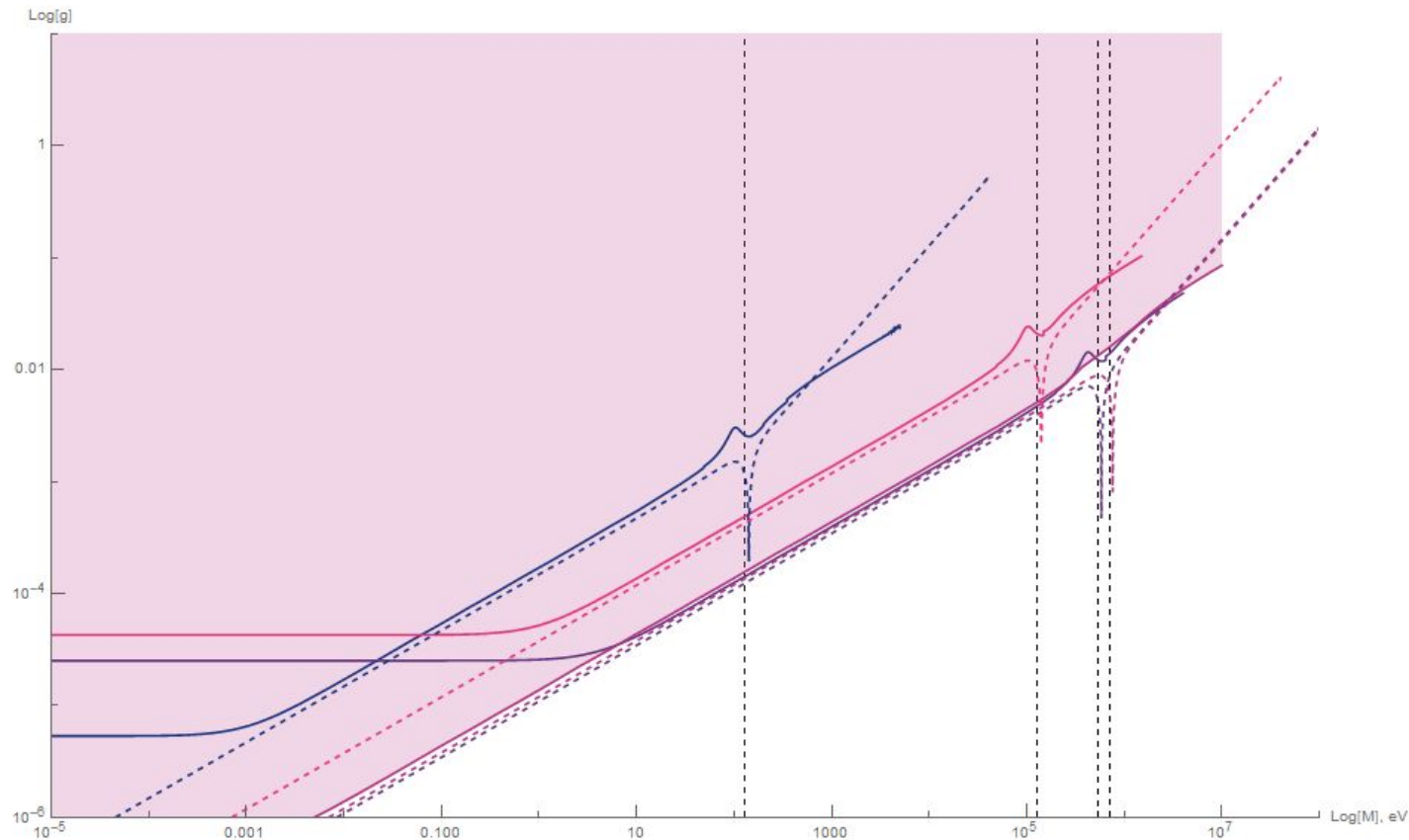
ULTRA-RELATIVISTIC CONSTRAINTS ON COUPLING CONSTANT FROM SN & B & AGN



- SN1987
- PKS 0735+178
- NGS 1086
- TXS 0506+056

- *Physical cut-off*
 $\epsilon \rightarrow 10^{-10}$
- $m \rightarrow 0$
- *Averaged angle*
between incident
neutrino and
background neutrino
- *CnuB distribution is*
reduced to
Maxwell-Boltzmann

UR+NR CONSTRAINTS ON COUPLING CONSTANT

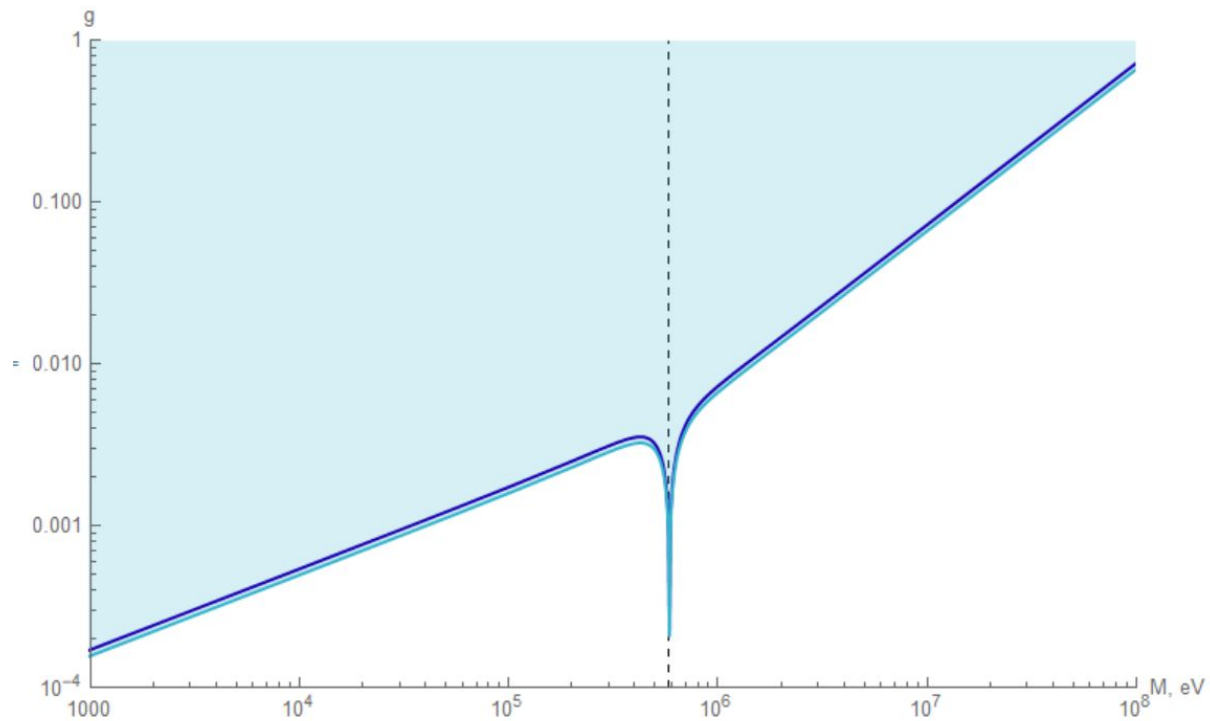


- SN1987
- PKS 0735+178
- NGS 1086
- TXS 0506+056

UR and NR regimes coincide with the proper choice of parameters

--- $M = \sqrt{s} = \sqrt{2E_\nu m_\nu + m_\nu^2}$

BLAZAR WITH UNCERTAIN DISTANCE



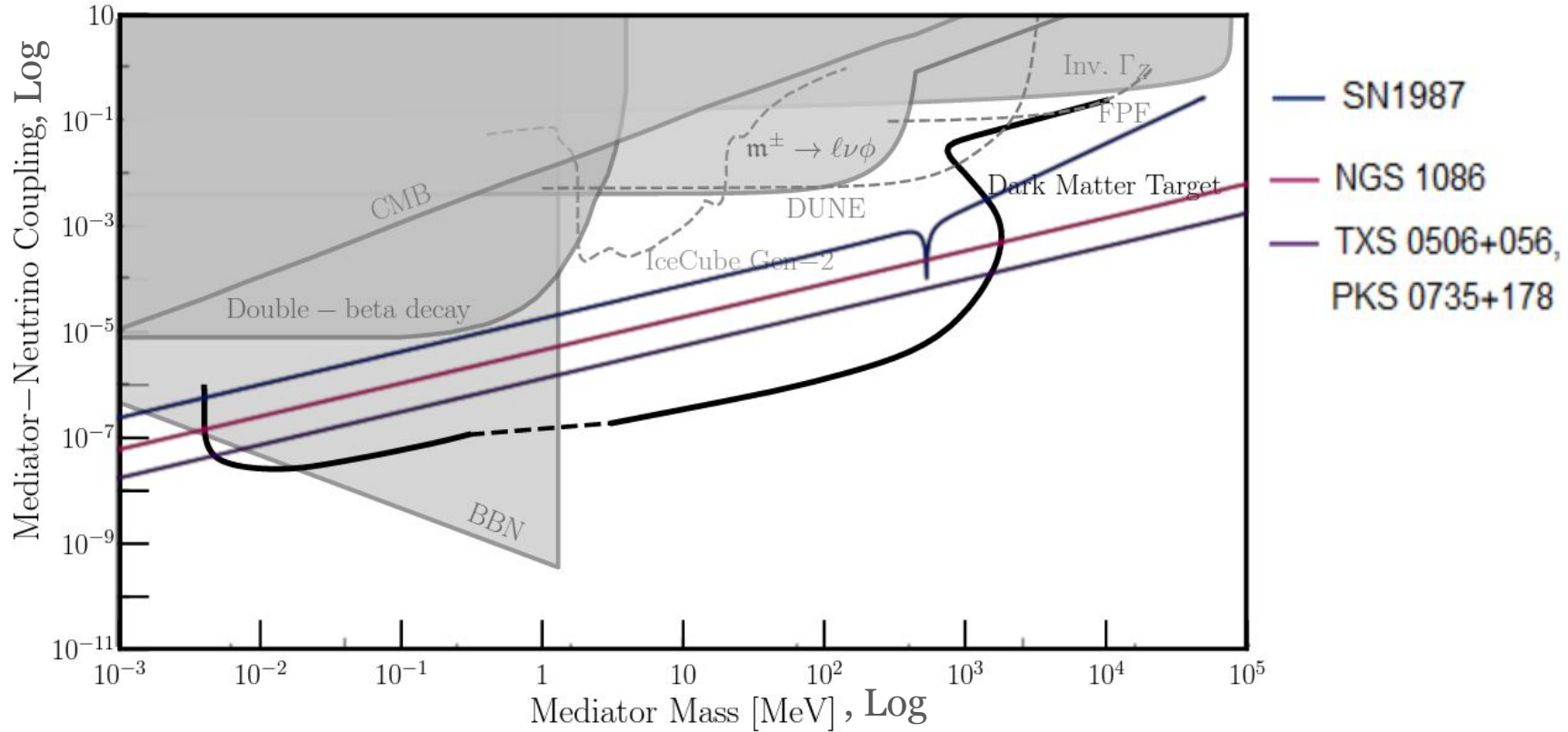
PKS 0735+178

*Neutrino events were recorded by IceCube,
Baikal-GVD, BUST, and KM3NeT.*

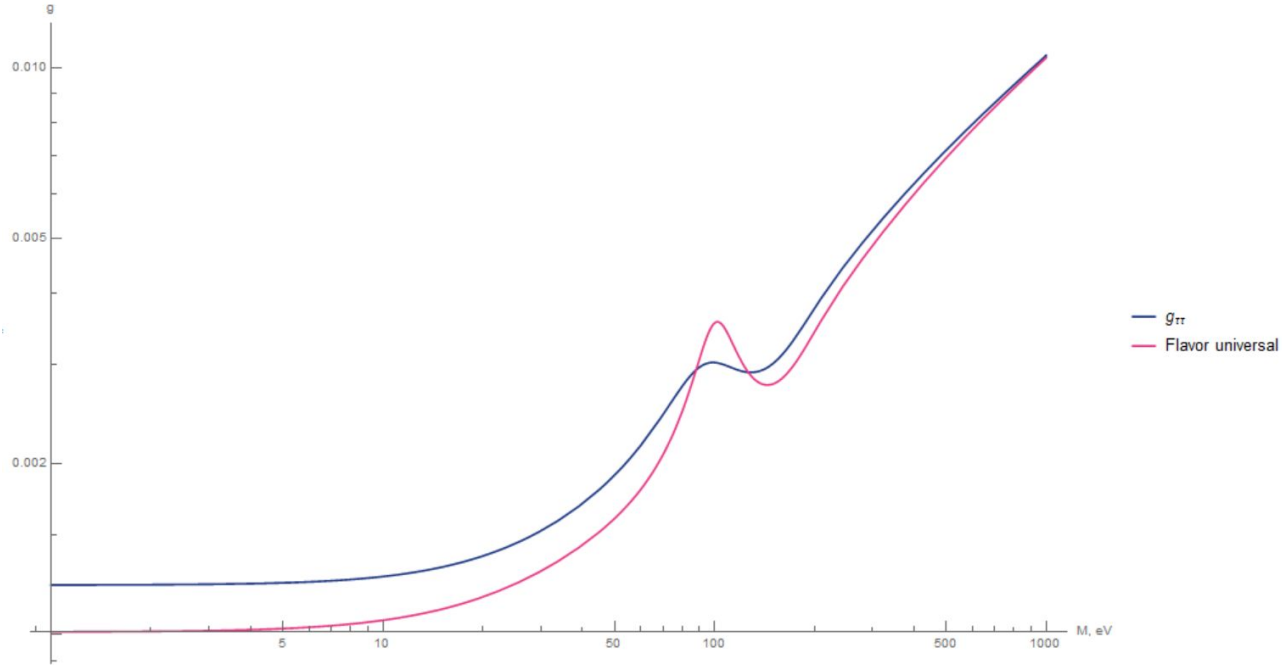
$E = 171$ TeV

- PKS 0735+178, $z=0.424$
- PKS 0735+178, $z=0.6$

Constraints on NSI coupling constant from SN and B, AGN



FLAVOR NON UNIVERSAL INTERACTIONS: UR COUPLING CONSTANT FOR SUPERNOVA



RESULTS

In this work we investigated a particular model of NSI with Dirac neutrinos and massive vector boson as NSI mediator

We obtained

- ★ *Analytical formula for UR (and NR) CnB with full mass dependence*
- ★ *Constraints on NSI coupling constant by HE neutrinos propagating through the CnB, from SN, Blazars and AGN neutrinos scattering on NR and UR CnB*
- ★ *Constraints on flavour-non universal NSI*

The results are in consistency with the literature, and offer

- ❖ *more precise analysis on the angle cut-off parameter for the given model, and include*
- ❖ *intermediate mass region of the NSI mediator to the constraints on coupling constant.*

LITERATURE

- [1] Results on Neutrino Non-Standard Interactions with KM₃NeT/ORCA6 and ANTARES - *Alfonso Lazo Pedrajas on behalf of the KM₃NeT and ANTARES collaborations*
- [2] Neutrino Self-Interactions: A White Paper - *Jerrey M. Berryman et al*
- [3] Gauged L_μ – L_τ Symmetry at the Electroweak Scale - *Julian Heeck, Werner Rodejohann*
- [4] Sterile Neutrinos - *Basudeb Dasgupta, Joachim Kopp*
- [5] Testing exotic neutrino-neutrino interactions with AGN neutrinos - *Petteri Keraänen*
- [6] Shedding light on neutrino self-interactions with solar antineutrino searches - *Quan-feng Wu and Xun-Jie Xu*
- [7] Diffuse supernova neutrino background *Anna M. Suliga*
- [10] Constraining the Self-Interacting Neutrino Interpretation of the Hubble Tension - *Nikita Blinov,* Kevin J. Kelly, Gordan Krnjaic, and Samuel D. McDermott 2019*
- [11] Toward Powerful Probes of Neutrino Self-Interactions in Supernovae *Po-Wen Chang, Ivan Esteban, John F. Beacom, Todd A. Thompson, and Christopher M. Hirata 2022*
- [12] A multi-messenger study of the blazar PKS 0735+178: a new major neutrino source candidate *N. Sahakyan, P. Giommi, P. Padovani, M. Petropoulou, D. Bégué, B. Boccardi, S. Gasparyan*
- [13] *Looking for cosmic neutrino background - C. Yanagisawa*
- [14] *Massive Fermi Gas in the Expanding Universe - A. Trautner*
- [15] *Multimessenger Astronomy and New Neutrino Physics - K. J. Kelly, P. A. N. Machado,*
- [16] *The origin of high-energy astrophysical neutrinos: new results and prospects - Sergey Troitsky*
- [17] *Neutrino Echoes from Multimessenger Transient Sources - K. Murase Ian M. Shoemaker*

THANK YOU FOR ATTENTION!

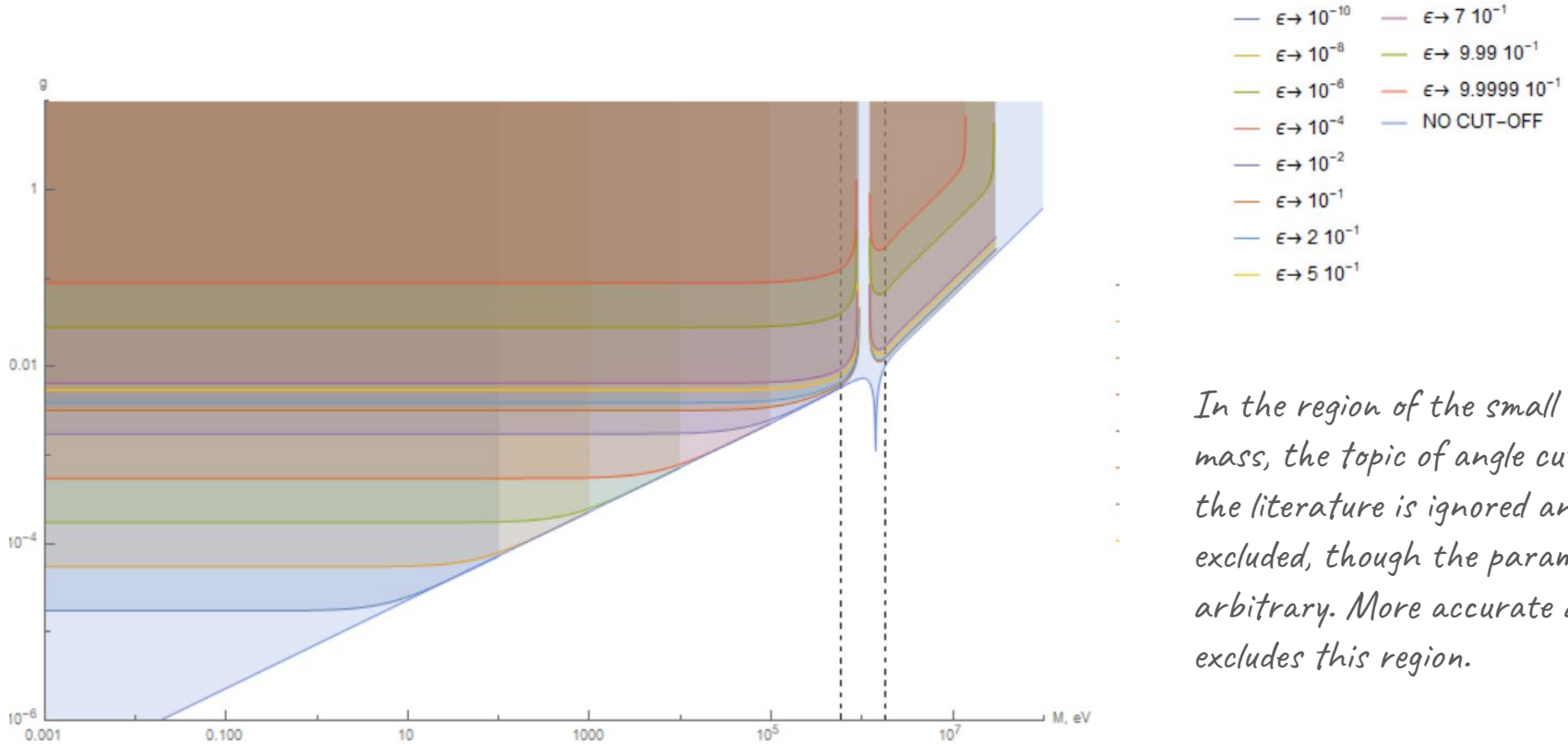


ASSUMPTIONS

- ❖ *Mediator mass: Full dependence over the relevant interval without splitting into the limits*
- ❖ *Background regime: both NR and UR*
- ❖ *We average over angle between incident neutrino and background neutrino*
- ❖ *We adopt $\bar{\nu}B$ -spectrum with temperature 10^{-4} eV, however for calculations, we reduce it to the Maxwell-Boltzmann distribution.*
- ❖ *Angle cut-off: $s(1-e) < t < -es$*
- ❖ *We assume $e - \mu - \tau$ universality in the non-standard $V - V$ interaction*

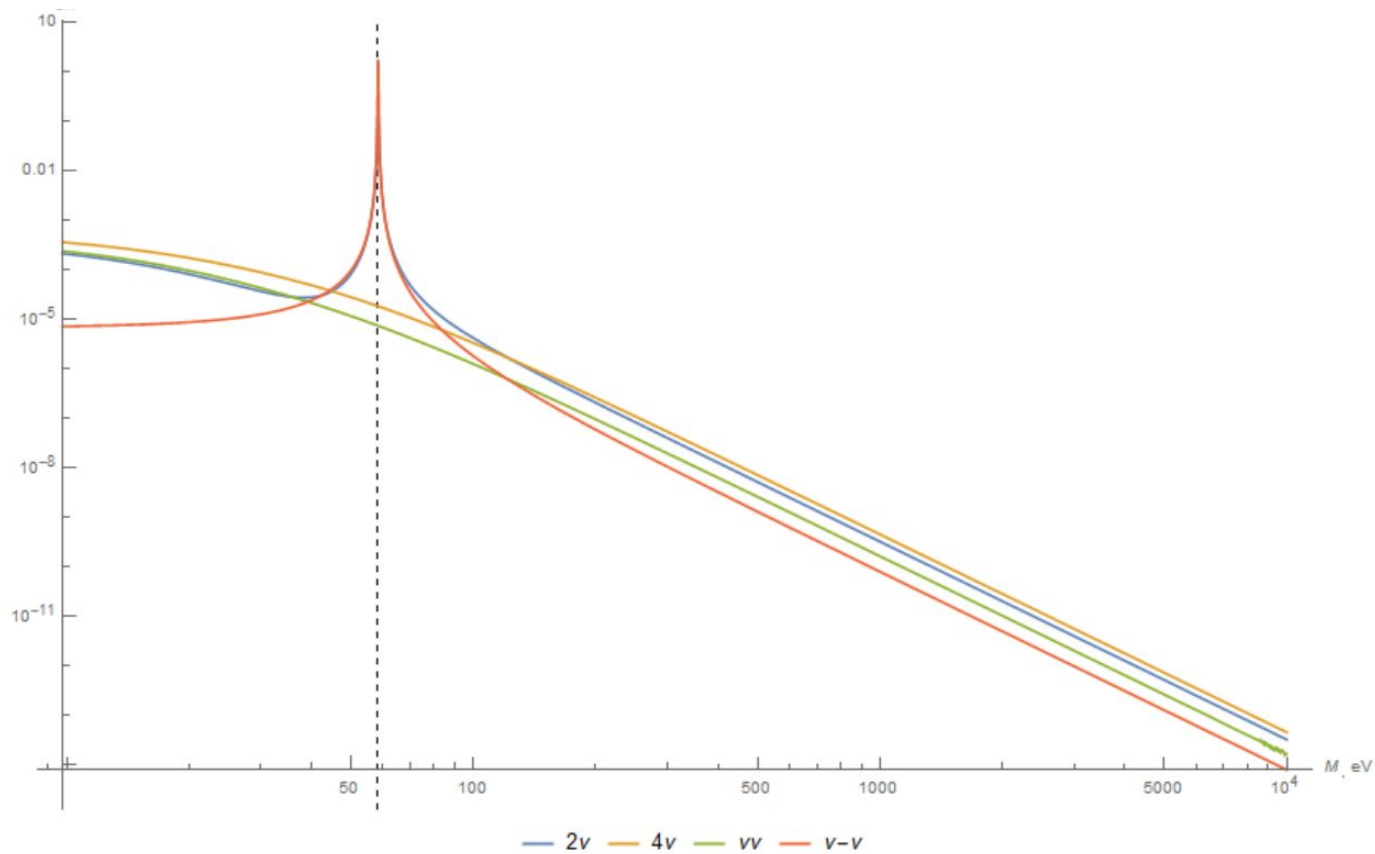
BACKUP SLIDES

NR + UR COUPLING CONSTANT FOR BLAZAR



In the region of the small mediator mass, the topic of angle cut-off in the literature is ignored and usually excluded, though the parameter is arbitrary. More accurate approach excludes this region.

CROSS-SECTION VS. MEDIATOR MASS, LOG

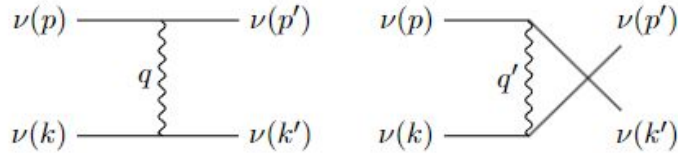


ANGLE CUT-OFF

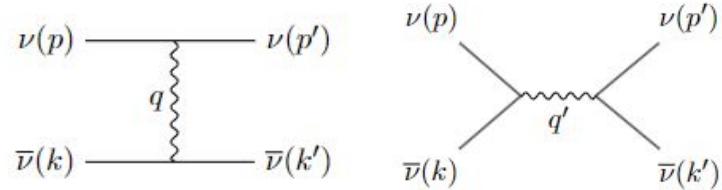
Angle cut-off for scattering to 0 and π . This corresponds to the t-channel exchange of a massless ν . It occurs whenever the final X carries off all of the initial neutrino energy. In the opposite limit, $t \sim 0$, the neutrino retains all of its incident energy, and is not removed from the "detectable" flux. The relevant factor is not the total cross section, but the cross section which describes the transport of energy of the incident neutrino by scattering with low-energy particles. This requires a significant energy loss by the initial neutrino, some substantial fraction of s . We can calculate the relevant fraction of the total cross section by taking the limits of integration to be $-s(1-\epsilon) < t < -\epsilon s$

PROCESSES CONTRIBUTING TO THE $\text{He}\nu$ SCATTERING ON $\text{C}\nu\text{B}$

t+u channel:



t+s channel:



		$\sigma s/g^4$
Process	Channel	$(d\sigma/dt)(8\pi s^2/g^4)$
$\bar{\nu}_i \bar{\nu}_i \rightarrow \bar{\nu}_i \bar{\nu}_i$	u+t	$\frac{1}{2} \left(\frac{24m^4 - 8m^2(s+t) + s^2 + t^2}{(u-M^2)^2} + \frac{2((s-4m^2)^2 - 2m^4)}{(t-M^2)(u-M^2)} + \frac{(s+t)^2 + (s-4m^2)^2 - 8m^4}{(t-M^2)^2} \right)$
$\bar{\nu}_i \nu_i \rightarrow \bar{\nu}_i \nu_i$	s+t	$\frac{(s+t)^2 + (s-4m^2)^2 - 8m^4}{(t-M^2)^2} - \frac{2(4m^4 - (s+t)^2)}{(s-M^2)(t-M^2)} + \frac{(s+t)^2 + (t-4m^2)^2 - 8m^4}{(s-M^2)^2}$
$\bar{\nu}_i \nu_i \rightarrow \bar{\nu}_j \nu_j$	s	$\frac{(s+t)^2 + (t-4m^2)^2 - 8m^4}{(s-M^2)^2}$
$\bar{\nu}_i \nu_j \rightarrow \bar{\nu}_i \nu_j$	t	$\frac{(s+t)^2 + (s-4m^2)^2 - 8m^4}{(t-M^2)^2}$

ASYMPTOTIC LIMITS

Heavy massive mediator limit

Process	Channel	$(d\sigma/dt)(8\pi M^4 s^2/g^4)$
$\bar{\nu}_i \bar{\nu}_i \rightarrow \bar{\nu}_i \bar{\nu}_i$	u+t	$\frac{1}{2} (4s^2 + t^2 + (s+t)^2)$
$\bar{\nu}_i \nu_i \rightarrow \bar{\nu}_i \nu_i$	s+t	$4(s+t)^2 + s^2 + t^2$
$\bar{\nu}_i \nu_i \rightarrow \bar{\nu}_j \nu_j$	s	$t^2 + (s+t)^2$
$\bar{\nu}_i \nu_j \rightarrow \bar{\nu}_i \nu_j$	t	$s^2 + (s+t)^2$

$$\sigma(s) = g^4 \frac{as}{M^4}$$

Massless mediator limit

Process	Channel	$(d\sigma/dt)(8\pi s^2/g^4)$
$\bar{\nu}_i \bar{\nu}_i \rightarrow \bar{\nu}_i \bar{\nu}_i$	u+t	$1 + \frac{s^2}{(s+t)^2} + \frac{s^2}{t^2}$
$\bar{\nu}_i \nu_i \rightarrow \bar{\nu}_i \nu_i$	s+t	$2(1 + \frac{(s+t)^2}{s^2} + \frac{(s+t)^2}{t^2})$
$\bar{\nu}_i \nu_i \rightarrow \bar{\nu}_j \nu_j$	s	$\frac{(s+t)^2 + t^2}{s^2}$
$\bar{\nu}_i \nu_j \rightarrow \bar{\nu}_i \nu_j$	t	$\frac{(s+t)^2 + s^2}{t^2}$

$$\sigma(s) = g^4 \frac{a}{s}$$

$$d\sigma = d\sigma_{4\nu} + d\sigma_{2\nu} + 2d\sigma_{\bar{\nu}\nu} + 4d\sigma_{\bar{\nu}_i\nu_j}$$

